

Funktionen (Lösungen)

1.

a) $S_x(6; 0)$

$S_y(0; -3)$

$\varphi_x = 26,6^\circ$

e) $S_x\left(\frac{4}{3}; 0\right)$

$S_y(0; 2)$

$\varphi_x = 123,7^\circ$

i) $S_x(3; 0)$

$S_y(0; 2)$

$\varphi_x = 146,3^\circ$

b) $S_x(3; 0)$

$S_y(0; 3)$

$\varphi_x = 135,0^\circ$

f) $S_x(-4; 0)$

$S_y(0; -\frac{8}{5})$

$\varphi_x = 158,2^\circ$

j) $S_x(1; 0)$

$S_y(0; -4)$

$\varphi_x = 76,0^\circ$

c) $S_x\left(-\frac{1}{2}; 0\right)$

$S_y(0; 1)$

$\varphi_x = 63,4^\circ$

g) $S_x(0; 0)$

$S_y(0; 0)$

$\varphi_x = 63,4^\circ$

k) $S_x(3; 0)$

$S_y(0; 0)$

$\varphi_x = 90^\circ$

d) $S_x(-3; 0)$

$S_y(0; 2)$

$\varphi_x = 33,7^\circ$

h) $S_x(0; 0)$

$S_y(0; 0)$

$\varphi_x = 149,0^\circ$

l) S_x ex. nicht

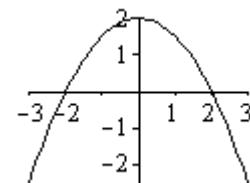
$S_y\left(0; \frac{1}{2}\right)$

φ_x ex. nicht

b) $S(0; 2)$

$x_1 = -2$

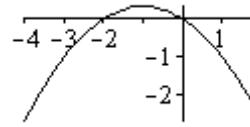
$x_2 = 2$



c) $S\left(-1; \frac{1}{3}\right)$

$x_1 = -2$

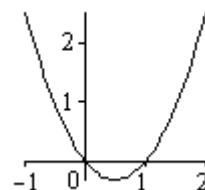
$x_2 = 0$



d) $S\left(\frac{1}{2}; -\frac{5}{16}\right)$

$x_1 = 0$

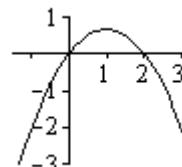
$x_2 = 1$



e) $S\left(1; \frac{2}{3}\right)$

$x_1 = 0$

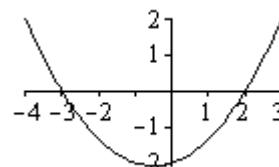
$x_2 = 2$



f) $S\left(-\frac{1}{2}; -\frac{25}{12}\right)$

$x_1 = -3$

$x_2 = 2$



2. a) $y = -3x + 5$ b) $y = -x + 4$ c) $y = 6x - 17$ d) $y = 10x + 11$

e) $y = -4x - 19$

f) $y = -2$

g) $y = 6x - 12$

h) $y = -3x - 9$

i) $y = -\frac{2}{7}x + 2$

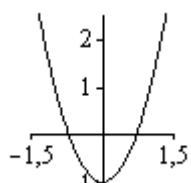
j) $y = 0,4142x - 0,1005$

k) $y = -2,7475x + 13,7374$

3. a) $S(0; -1)$

$x_1 = -\frac{\sqrt{2}}{2}$

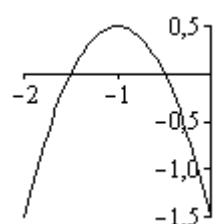
$x_2 = \frac{\sqrt{2}}{2}$



g) $S\left(-1; \frac{1}{2}\right)$

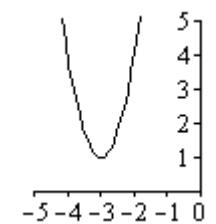
$$x_1 = -\frac{3}{2}$$

$$x_2 = -\frac{1}{2}$$



h) $S(-3; 1)$

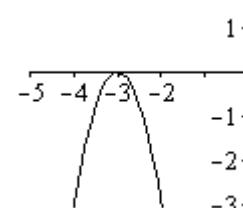
keine Nullstelle n



i) $S(-3; 0)$

$$x_1 = -3$$

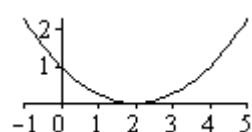
$$x_2 = -3$$



j) $S(2; 0)$

$$x_1 = 2$$

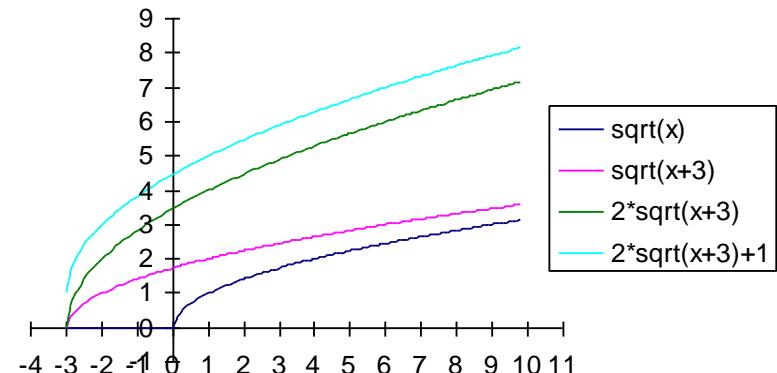
$$x_2 = 2$$



4. a) monoton wachsend; nach unten beschränkt

DB: $x \geq -3$; WB: $y \geq 1$

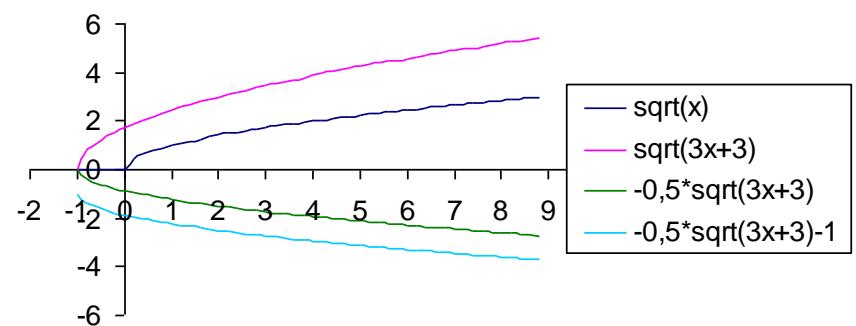
S_x ex. nicht, $S_y(0; 4,4641)$



b) monoton fallend; nach oben beschränkt

DB: $x \geq -1$; WB: $y \leq -1$

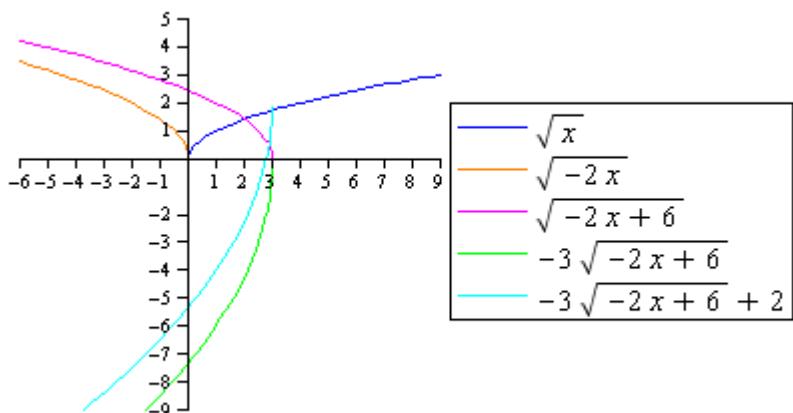
S_x ex. nicht, $S_y(0; -1,8660)$



c) monoton wachsend; nach oben beschränkt

$$\text{DB: } x \leq 3; \text{ WB: } y \leq 2$$

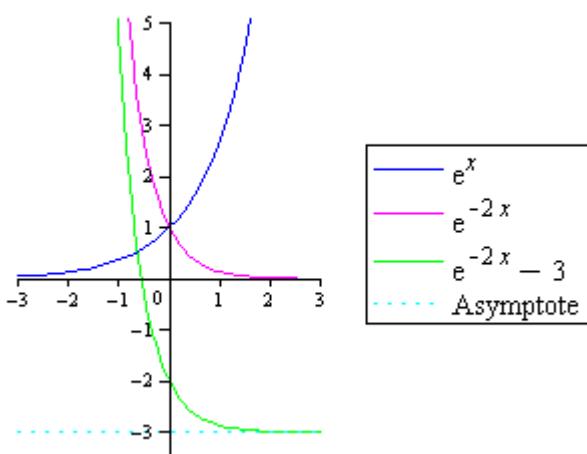
$$S_x(2,7778; 0), S_y(0; -5,3485)$$



d) monoton fallend; nach unten beschränkt

$$\text{DB: } x \in \mathbb{R}; \text{ WB: } y > -3$$

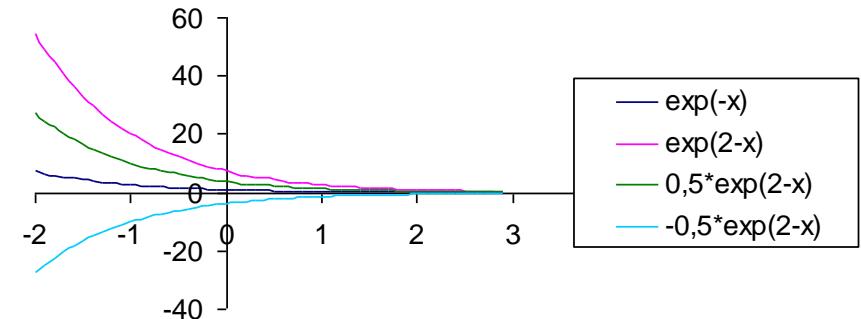
$$S_x(-0,5493; 0), S_y(0; -2)$$



e) monoton wachsend; nach oben beschränkt

$$\text{DB: } x \in \mathbb{R}; \text{ WB: } y < 0$$

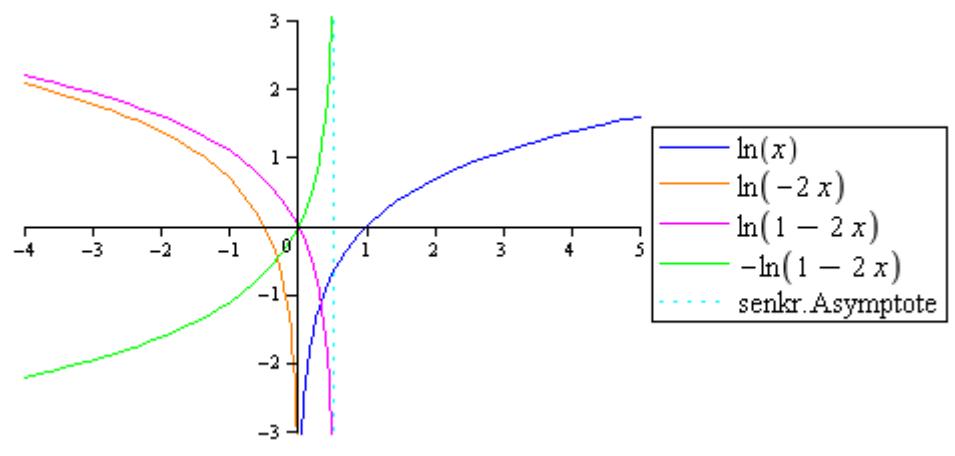
$$S_x \text{ ex. nicht, } S_y(0; -3,6945)$$



f) monoton wachsend; unbeschränkt

$$\text{DB: } x < 0,5; \text{ WB: } y \in \mathbb{R}$$

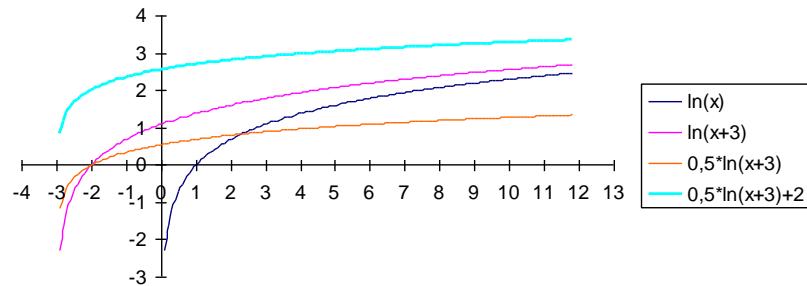
$$S_x(0; 0), S_y(0; 0)$$



g) monoton wachsend; unbeschränkt

DB: $x > -3$; WB: $y \in \mathbb{R}$

$S_x(-2,9817; 0)$, $S_y(0; 2,5493)$

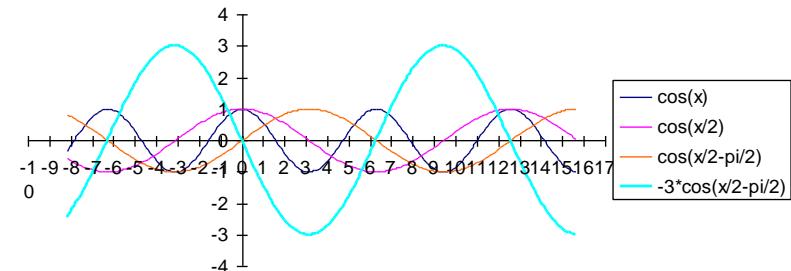


i) keine durchgängige Monotonie (nur abschnittweise);

nach oben und unten beschränkt

DB: $x \in \mathbb{R}$; WB: $-3 \leq y \leq 3$

$S_x(2k\pi; 0)$, $S_y(0; 0)$



j) vor und nach der Polstelle ($x = 1$) monoton fallend;
unbeschränkt;

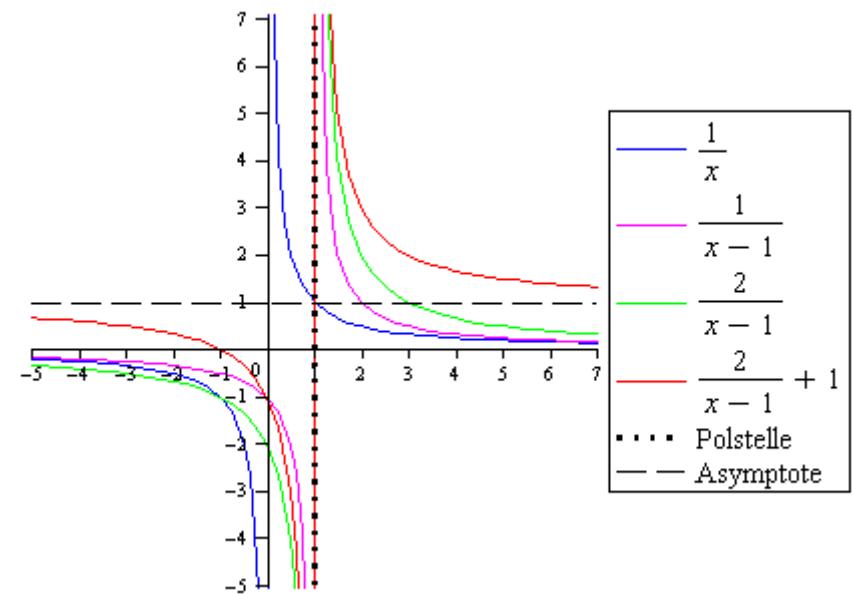
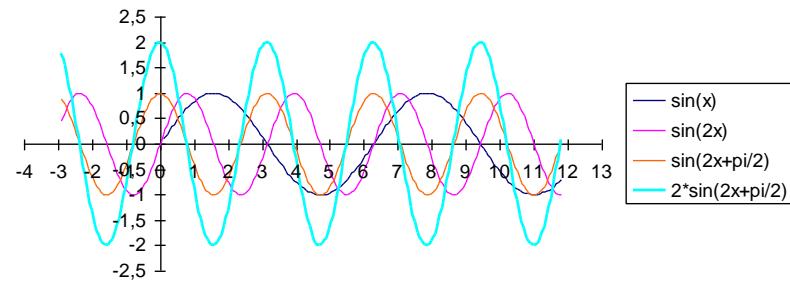
DB: $x \in \mathbb{R} \wedge x \neq 1$; WB: $y \in \mathbb{R} \wedge y \neq 1$

$S_x(-1; 0)$, $S_y(0; -1)$

h) keine durchgängige Monotonie (nur abschnittweise);
nach oben und unten beschränkt

DB: $x \in \mathbb{R}$; WB: $-2 \leq y \leq 2$

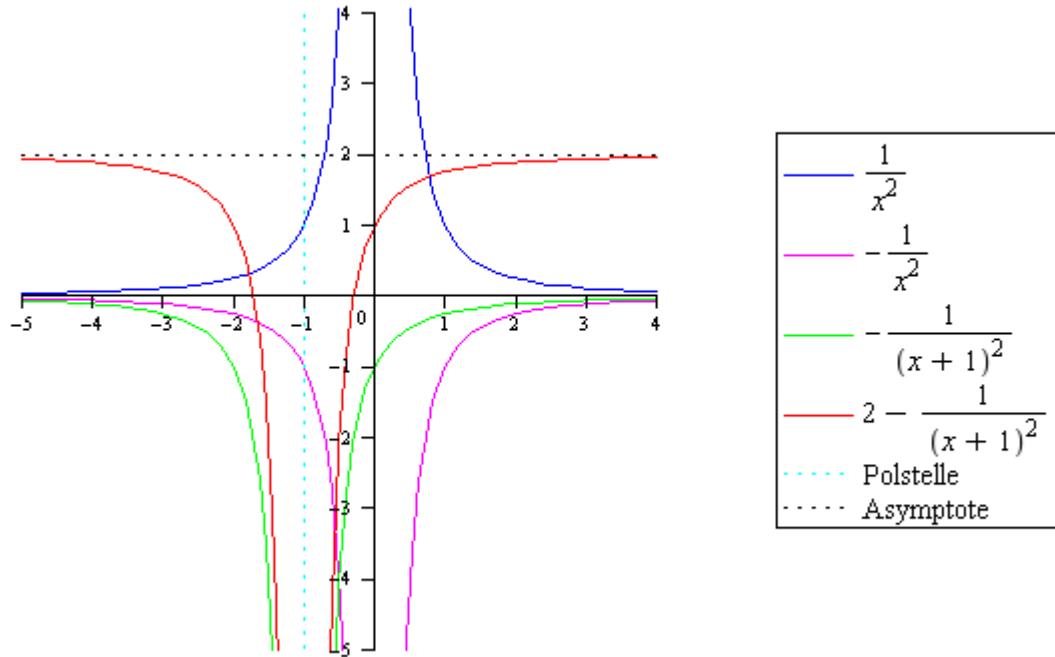
$S_x\left(\frac{2k-1}{4}\pi; 0\right)$ mit $k = 0, \pm 1, \pm 2, \dots$, $S_y(0; 2)$



k) bis Polstelle ($x = -1$) monoton fallend, danach monoton wachsend;
nach oben beschränkt;

DB: $x \in \mathbb{R} \wedge x \neq 1$; WB: $y < 2$

$S_{x1} (-0,2929; 0)$, $S_{x2} (-1,7071; 0)$, $S_y (0; 1)$



- | |
|-------------------------|
| $\frac{1}{x^2}$ |
| $-\frac{1}{x^2}$ |
| $-\frac{1}{(x+1)^2}$ |
| $2 - \frac{1}{(x+1)^2}$ |
| Polstelle |
| Asymptote |